



Chhatrapati Shahu Ji Maharaj
University, Kanpur

Answer Script Details

Barcode 10877255

Roll No. 24063001034

Exam MASTER OF SCIENCE _ODD EXAM-DEC-24

Total Mark 52/75.00

Subject B020703T - PHYSICAL CHEMISTRY - I

Question wise Mark Summary

Q.No Mark Q.No Mark Q.No Mark Q.No Mark

1A 3/5 7 0/15

1BI 2/2 8 0/15

1BII 2/2 9A 0/7

1C 3/5 9B 0/7

1D 3/5

1E 3/5

1F 4/5

1G 3/5

1H 4/5

1I 3/5

2 0/15

3 11/15

4 0/15

5A 0/7

5B 0/7

6A 6/7

6B 5/7

Chhatrapati Shahu Ji Maharaj University Kanpur, Uttar Pradesh

PART-I

Date of Exam: 29/12/25 Shift: 1st Room No.: 20
 Paper Code: B020703T Subject: Physical Chemistry Year/Sem: 1st
 Name of Candidate: Priya Kumari Gupta
 Roll No.: 24063001034

Signature of Candidate: *Priya Kumari Gupta*
 Signature of Investigator: *Vijay Kumar*
 COE Facsimile: *JK*

PART-II

MARKS OBTAINED										
Q.	1	2	3	4	5	6	7	8	9	10
(a)										
(b)										
(c)										
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(j)										
Total										
Total Marks in Figures										Max. Marks
Total Marks in Words										


B020703T
 Paper Code

Signature of Evaluator

PART-III

Course: M.Sc. (Chemistry)
 Session: 2024-25 Year/Semester: 1st
 Subject: Physical Chemistry
 Paper Code: B020703T
 Exam Date: 29-01-25
 Name of Candidate: PRIYA KUMARI GUPTA
 Father's Name: SAMBHU NATH PRASAD

परीक्षारतः का कोड
College Code

परीक्षा केंद्र का कोड
Exam Centre Code

U	N	O	1
A	A	●	●
E	B	1	●
F	D	2	2
H	J	3	3
K	K	4	4
L	L	5	5
M	M	6	6
S	●	7	7
●	T	8	8
U	9	9	9
W			

परीक्षा का प्रकार
Type of Exam

Regular Ex. Student
 Private Back paper Exam

ANSWER BOOKLET NO.
10877255

B020703T
Paper Code



PART-IV

नामांकन संख्या
Enrollment Number: **C S J M A 24 0 0 0 0 6 3 1 7 1**

परीक्षार्थी अंकनाम संख्या Candidate's Roll Number: **24063001034**

पेपर कोड Paper Code: **B020703T**

0	0	●	0	0	●	●	0	●	0	0
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8	8	8	8	8	8	8	8	8	8	8
9	9	9	9	9	9	9	9	9	9	9



Signature of Candidate: *Priya Kumari Gupta*

Signature of Investigator: *Vijay Kumar*

C S Facsimile

JK
COE Facsimile

नोट : 1. परीक्षार्थी को निर्दिष्ट किया जाता है कि आवरण पत्रों से मुद्रा पत्र पर उचित सभी निर्देशों को सावधानीपूर्वक पढ़ें।
 2. कोड में गरी जाने वाली प्रतिलिपि काटी गए से मुक्त की जाएगी। 3. गोलों को कटने या नीचे खींचने से बचें।

INSTRUCTIONS TO THE CANDIDATE FOR FILLING PART-I

1. Read the instructions carefully given on the answer script and admit card.
2. Write Date of Exam, Shift, Paper Code & Name of Subject Correctly.
3. Write Name & Roll No. Correctly.
4. Write Semester & Branch Correctly.

INSTRUCTIONS TO THE CANDIDATE FOR FILLING PART-III

1. Use blue or black ball point pen for writing alphabets & numerals in Boxes.
2. Carefully study the example before you start marking.
3. As shown in the example below blacken the circles completely.



4. Make no Stray marks on this sheet.
5. DO NOT WRITE OR MARK ON THE BAR CODE.

IN ORDER TO AVOID UFM (UNFAIR MEANS) :

1. The Roll No. and Answer Book no. found elsewhere or any other symbol found in the answer book will be treated as unfair means.
2. Any tempering of Bar Code and Booklet no shall be treated as Unfair Means.
3. Do Not bring the materials like slip of paper/mobile/digital diaries/ study material/ revision notes in examination hall. Possession of the mobiles/ digital diaries/ electronic watch and any other electronic gadget except memory less scientific calculator shall be considered as UFM case.
4. Do not keep or paste currency note in answer script it shall be consider as UFM.

अनुचित साधन से बचने हेतु:

1. उत्तर पुस्तिका के निर्देशित स्थान को छोड़कर अनुक्रमांक एवं उत्तरपुस्तिका का क्रमांक कहीं और न लिखें तथा कोई भी चिन्ह न बनायें क्योंकि यह अनुचित साधन प्रयोग की परिधि में आता है।
2. उत्तर पुस्तिका के बारकोड अथवा उत्तर पुस्तिका संख्या पर छेड़ कटने पर अनुचित साधन प्रयोग माना जायेगा।
3. परीक्षा कक्ष में विभिन्न वस्तुएं साथ न लायें, जैसे लिखे हुए कागज के टुकड़े, मोबाइल, डिजिटल कागरी, कोपी, पुस्तक यह सभी वस्तुएं जो अनुचित साधन के अन्तर्गत आती हैं। केवल संबंधित प्रश्नपत्र में ही मेमोरी लैस साइटफिक कैल्कुलेटर ले जाने की अनुमति होगी।
4. उत्तर पुस्तिकाओं में रूपये न रखें न ही उत्तर पुस्तिका में विपकार्य। ऐसा करना अनुचित साधन प्रयोग की परिधि में आता है।

परीक्षार्थी के लिए निर्देश

1. प्रवेश पत्र एवं उत्तर पुस्तिका पर दिये गये निर्देशों को ध्यान से पढ़ें।
2. कवर पृष्ठ के दूसरी तरफ कुछ न लिखें।
3. उत्तर पुस्तिका के पृष्ठों पर दोनों तरफ लिखें।
4. प्रश्न पत्र पर अपने अनुक्रमांक के अतिरिक्त कुछ न लिखें।
5. प्रश्न पत्र कोड एवं प्रश्न पत्र कोड सावधानी पूर्वक लिखें।
6. अपनी स्थिति स्पष्ट लिखें।
7. उत्तर पुस्तिका के पृष्ठों की संख्या देखें। अगर उत्तर पुस्तिका में पृष्ठ (1-24) से कम है या फटे हुए हैं, तो परीक्षा शुरू होने के पूर्व दूसरी उत्तर पुस्तिका ले लें।
8. प्रश्नपत्र को देख, यदि प्रश्नपत्र के विषय कोड, विषय का नाम तथा प्रश्न में कोई त्रुटि है तो उसके परीक्षा शुरू होने के 30 मिनट के अन्दर कक्षा निरीक्षक को तत्काल सूचित करें, उसके बाद विश्वविद्यालय द्वारा कोई कार्यवाही नहीं की जायेगी।
9. प्रश्नों के उत्तर लिखने के लिये पैसिल का प्रयोग न करें।
10. B कोपी या अतिरिक्त राफ नहीं दिया जायेगा।

INSTRUCTIONS TO THE CANDIDATE

1. Read the instructions carefully given on the Question Paper, Admit Card & Answer Script.
2. Do not write anything on back side of the cover page.
3. Write on both sides of pages of answer book.
4. Do not write anything on question paper except Roll Number.
5. Write Paper Code & Question Paper Id carefully.
6. CHECK the number of pages (1-32) or any other kind of damage in your answer script, if found than change the answer script immediately before the commencement of examination.
7. CHECK the Question Paper for any kind of discrepancy e.g. Subject Code, Subject Name and Question of the Question Paper during first THIRTY MINUTES of the commencement of the exam, so that it can be corrected in TIME. After that no. corrections shall be entertained by the university.
8. Do not use pencil for answering the question.
9. Write status correctly e.g. those appearing in carry over papers should fill in status as Carry Over. Those appearing as Ex-Students should fill in status as ex.
10. No supplementary answer book & graph paper will be provided.

INSTRUCTIONS TO THE CANDIDATE FOR FILLING PART-IV

1. Use blue or black ball point pen for writing alphabets & numerals in Boxes.
2. Use blue or black ball point pen for filling the circles.

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6	6	6	6	6	6	6	6	●	6	6
7	7	7	7	7	7	7	7	7	7	7
8	8	●	8	8	8	8	8	8	8	8
9	9	9	9	9	9	9	9	9	9	●

Note - If your Roll No. is of 10 digits. Please leave first three columns.

Section-c.

6. A function showing how the energy of a system of molecules is partitioned among the energy levels. We have the Maxwell's equation:-

$$\frac{n_i}{N} = \frac{g_i e^{-E_i/KT}}{\sum_j g_j e^{-E_j/KT}}$$

The quantity appearing in the denominator called partition function (Q).

$$Q = \sum_j g_j e^{-E_j/KT}$$

The partition function indicates the mode of distribution of particles in various energy levels. The lowest value is 1 at absolute zero. At high temperature, Q increases because particles occupy higher energy level.

Trans Vibrational Partition function of a molecule

Consider a particle moving in a 3-D box. Solving the Schrodinger equation, we get the energy eigen value as:-

$$E_v = \frac{h^2}{8m} \left(\frac{n_x^2}{a^2} + \frac{n_y^2}{b^2} + \frac{n_z^2}{c^2} \right)$$

$$q_v = \sum_v g_v e^{-E_v/KT} \quad \text{--- (1)}$$

Putting the value of E_v in eq. (1)

$$q_v = \sum_v g_v e^{-\frac{h^2}{8m} \left(\frac{n_x^2}{a^2} + \frac{n_y^2}{b^2} + \frac{n_z^2}{c^2} \right) / KT}$$



If degeneracy $g_v = 1$ then

$$q_v = (q_v)_x \cdot (q_v)_y \cdot (q_v)_z$$

The vibrational energy levels are closely spaced,
Thus the equation becomes,

$$\int_0^{\infty} e^{-ax^2} dx = \frac{1}{2} \sqrt{\frac{\pi}{a}}$$

$$\therefore q_{v,x} = \frac{1}{2} \sqrt{\frac{\pi m k T}{h^2}}$$

$$= \frac{a}{2h} (8\pi m k T)^{1/2}$$

$$q_{v,y} = \frac{b}{2h} (8\pi m k T)^{1/2}$$

$$q_{v,z} = \frac{c}{2h} (8\pi m k T)^{1/2}$$

$$\therefore q_v = abc \left(\frac{2\pi m k T}{h^2} \right)^{3/2}$$

Rotational Partition function

This is applicable to diatomic and polyatomic molecules,

$$q_r = \sum_r g_r e^{-\epsilon_r / kT}$$

$$\epsilon_r = \frac{h^2}{8\pi^2 I} J(J+1)$$





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If the gas degeneracy is maintained then $g_r = 1$ then the equation becomes.

$$q_r = \sum_{j=0}^{\infty} (2j+1) e^{-\frac{h^2}{8\pi^2 I} j(j+1)} \quad \text{--- (1)}$$

$$\text{Let } \frac{h^2}{8\pi^2 I k} = \Theta_r.$$

$$\therefore q_r = \sum_{j=0}^{\infty} (2j+1) e^{-j(j+1)\Theta_r/T}.$$

$\Theta_r =$ characteristic rotational temperature.

$$\boxed{q_r = \frac{8\pi^2 I k T}{h^2}}$$

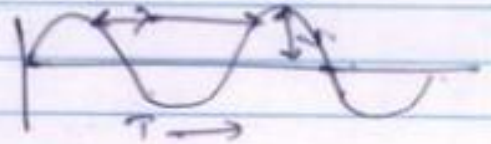


Section - B.

4. The particle is considered to be in one dimensional box in which it oscillates per minute. Let us consider a wave equation.

$$\lambda = \frac{h}{mv}$$

$$\psi = 2A \sin \frac{2\pi x}{\lambda} \quad \text{--- (1)}$$



Differentiating the above equation with respect to x .

$$\begin{aligned} \frac{d\psi}{dx} &= 2A \left(\cos \frac{2\pi x}{\lambda} \right) \times \frac{2\pi}{\lambda} \\ &= \frac{4\pi^2 A \cos \frac{2\pi x}{\lambda}}{\lambda} \end{aligned}$$

Again, differentiating the above equation, we get,

$$\begin{aligned} \frac{d^2\psi}{dx^2} &= \frac{4\pi^2 A}{\lambda} \left(-\sin \frac{2\pi x}{\lambda} \right) \times \frac{2\pi}{\lambda} \\ &= -\frac{8\pi^2 A \sin \frac{2\pi x}{\lambda}}{\lambda^2} \quad \text{--- (2)} \end{aligned}$$

Putting the value of ψ in eqn (2) we get,

$$\frac{d^2\psi}{dx^2} = -\frac{4\pi^2}{\lambda^2} \psi$$

$$\frac{d^2\psi}{dx^2} + \frac{4\pi^2}{\lambda^2} \psi = 0 \quad \text{--- (3)}$$



Let us consider a particle moving in x -direction then according to de Broglie's hypothesis, it will be given as:-

$$\lambda = \frac{h}{mv}$$

$$\lambda^2 = \frac{h^2}{m^2 v^2}$$

$$\frac{1}{\lambda^2} = \frac{m^2 v^2}{h^2} \quad \text{--- (3)}$$

The particle possesses mechanical energy which is the sum of kinetic and potential energy.

$$E = K.E + P.E.$$

$$= \frac{1}{2}mv^2 + V$$

$$E - \frac{1}{2}mv^2 = E - V$$

$$v^2 = \frac{2(E - V)}{m}$$

Now putting the value of v^2 in eq (3) we get:-

$$\frac{d^2\psi}{dx^2} + \frac{4\pi^2}{m^2 v^2} \psi = 0 \quad \text{--- (5)}$$

Putting the value of v^2 in eq (5) we get.

$$\frac{d^2\psi}{dx^2} + \frac{4\pi^2 h^2 \times m (E - V)}{m^2 \times 4m (E - V)} \psi = 0$$



Multiplying the equation with

$$\frac{d^2\psi}{dx^2} + \frac{8\pi^2h^2}{m^2} E\psi - \frac{8\pi^2h^2}{m^2} V\psi = 0.$$

Dividing the eqⁿ ✓

$$\frac{8\pi^2h^2}{m^2} \frac{d^2\psi}{dx^2} + E\psi - V\psi = 0.$$

$\frac{8\pi^2h^2}{m^2}$ is the Hamiltonian operator thus the equation becomes:

$$\boxed{E\psi = H\psi.}$$

Section-A.

1. \Rightarrow Entropy is a thermodynamic expression which relates to the randomness of the molecule. When the temperature of a system is increased, the randomness among the molecules gets increased. A function is said to be state function if its value depends upon mass, temperature, volume and work.

The thermodynamic expression for entropy is given by

$$\Delta G = \Delta H - T\Delta S.$$

On differentiating the equation we get,

$$dG = dH - TdS - SdT.$$



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When the system is in equilibrium, then $\Delta S = 0$, and ΔG becomes more negative.

Greater the value of ΔS i.e. positive value, more negative will be ΔG° .

This, from here it can be stated that entropy is a state function.

H) Zeeman splitting is the splitting of spectral lines in more than one spectrum in presence of magnetic field. It is analogous with the Stark splitting which is based on the splitting of spectral lines in more than one spectrum columns in presence of electric field.

The splitting is due to interaction between molecular angular velocity and angular momentum of the particle. When the molecule comes under the influence of magnetic field, the spectral lines due to inter-dipole interaction get splitted into several columns. This results in Zeeman effect.

The splitting can be represented by angular momentum of the particle as $(2l+1)$ where l is the angular spin quantum number, where the magnetic spin will be $+\frac{1}{2}$ or $-\frac{1}{2}$ depending upon the axis of rotation.

If $l=1$, then angular momentum of the molecule will be given by,

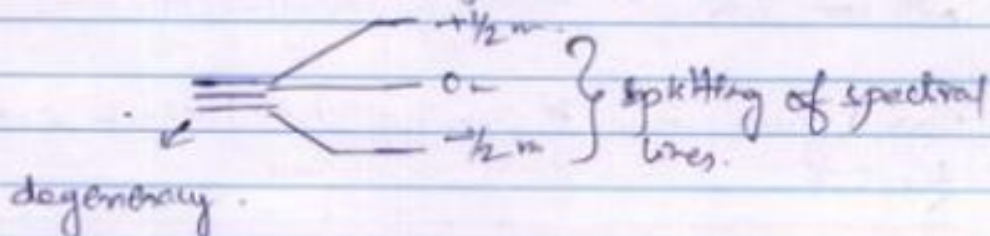
$$l = (2 \times 1 + 1) = 3.$$

$$l_m = +1, 0, -1$$



and the spin quantum number will be $+\frac{1}{2}$ or $-\frac{1}{2}$

The degeneracy is broken down when the particle comes under the influence of magnetic field.



⇒ Gibbs Free Energy comes under the 2nd law of thermodynamics. It talks about the equilibrium condition of the system. It is represented by G .

$$G = H - TS$$

$$\Delta G_1 = \Delta H_1 - T\Delta S_1$$

$$\Delta G_2 = \Delta H_2 - T\Delta S_2$$

ΔG will be negative if $\Delta S > 0$, it is the condition at which molecules are not in random motion.

Randomness is slow or negligible.

$$\Delta G = \Delta H$$

$$\Delta G_1^0 = \Delta H_1^0 - T\Delta S_1^0$$

When $\Delta S > 0$, then the condition arises that the molecules are in random motion. The randomness of the molecules increases due to increase in temperature.

$$\Delta G < 0$$

Some of the features of Gibbs free energy (G) are:-

It determines the rate of reaction.



• It determines whether the reaction will be in forward direction or backward direction.

By calculating the value of ΔG , the rate of a reaction can be determined.

• ΔG is a heat related equation, where the heat is released or absorbed can be determined by calculating ΔG .

• If $\Delta S > 0$ then the reactants are proceeded towards the products side. (forward reaction).

• If $\Delta S < 0$ then the reactants are not proceeded towards the products side. (reverse reaction).

8) Partial molar properties depend upon the molar concentration of solute and solvent with respect to solvent.

The mole fraction is defined as the concentration of solute per litre of solvent A and solvent B.

$$x_A = \frac{n_A}{n_A + n_B}$$

The molality of the equation can be defined as molar concentration of solute dissolved in 1 l of solvent.

$$M = \frac{n_{\text{solute}}}{n_{\text{solvent}} (\text{1 l})} \times 1000$$

The partial molar properties of the function of equation under thermodynamics explain the rate of reaction according to the equilibrium.

The molality of the equation determines whether the equation is in higher concentration or lower one.



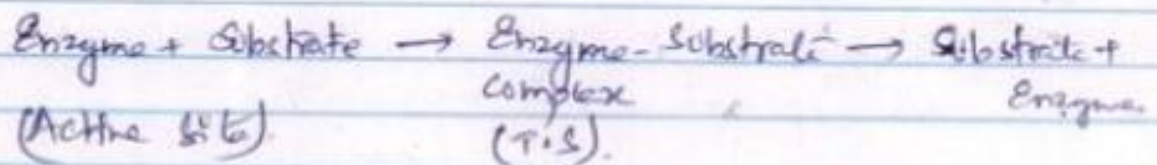
- a) The irreversible thermodynamics deal with the no mass, heat, momentum. It does not depend upon the ~~rate~~ rate of reaction.

The thermodynamics used in biological systems are as follows?

- ① It helps to determine the enzymatic mechanism.

Enzymatic Mechanism:

An enzyme reacts with that active site of the substrate which fits into the state of structure. It is like a lock and key model.



When the enzyme attacks the active site it forms a lock type structure which leads to formation of transition complex. The activation energy of this transition complex is high if the enzyme and substrate does not lock each other.

- ② It also helps to identify the photochemical reaction taking place in photosynthesis.

③ It helps to reach the rate of reaction during the formation of hemoglobin complex, which when Fe^{2+} binds with the water molecules.



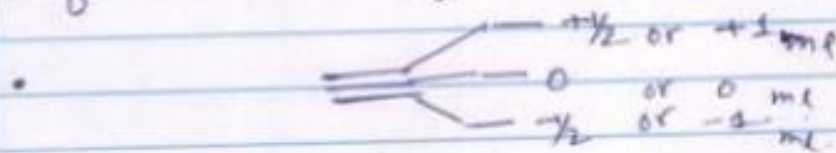
B) iii) Degeneracy:

Degeneracy is the term used to describe the orbital momentum before splitting into spectral lines.

The splitting of ~~sepr~~ spectral lines in presence of electric field or magnetic field is due to orientation of spins in the space.

This splitting phenomenon can also be seen in metal-ligand complex. When a strong ligand approaches the metal, the degeneracy of the orbital is split.

The splitting of spectral lines in more than one spectral lines due to presence of magnetic field is called Zeeman splitting. It follows the rule of $(2l+1)$ orbital splitting.



The orbitals which are on the higher energy level is represented by $+\frac{1}{2}$ and the lower energy are represented by $-\frac{1}{2}$.

ii) Normalization is the process in which the spectral lines does not undergo splitting in presence of magnetic field or electric field. It maintains the degeneracy of the orbitals without splitting into any orbitals.





E) Let us consider the particle moving in 3-D boxes. In x, y, z axis. The wave equation for such equation will be given by:

$$\psi_1 = A \sin \frac{2\pi x}{\lambda}$$

Similarly, we can write the same equation for other going waves,

$$\psi_2 = A \sin \frac{2\pi y}{\lambda}$$

$$\psi_3 = A \sin \frac{2\pi z}{\lambda}$$

The summation of all wave functions will be given as

$$\psi^* = \psi_1 + \psi_2 + \psi_3 + \dots$$

Considering this we can write as by squaring the equation

$$\psi^{*2} = \psi_1^2 + \psi_2^2 + \psi_3^2 + \dots$$

Thus we can write $\hat{H}\psi = E\psi$.

\hat{H} is called the Hamiltonian operator.

The multiplication of Hamiltonian operator yields the results as in given format.



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If the equation ψ is given in terms of x and by differentiating the equation.

$$\psi = a + ib$$

$$d\psi = a - \sqrt{-1}b$$

$$d\psi = a - ib$$

(Squaring the equation we get,

$$\psi^2 = (a + ib)^2$$

$$= a^2 + i^2 b^2 + 2iab$$

$$= a^2 - b^2 + 2iab$$

$$\Rightarrow a^2 + b^2 = -2ba$$

This, $\sqrt{-1}$ is described as a wave function related to real wave function. On squaring the ψ^2 we get the same real function format which will be given as same as $a + ib$. Thus, when a and b are real functions then ψ^2 will also get the same real function values.

Using componendo and dividendo we get,

$$\psi = a + ib \times \frac{a - ib}{a - ib}$$

$$\psi = \frac{a^2 - ib^2}{a - ib}$$

This also shows ψ is a real function as well as ψ^2 also a real function.

Do Not Write anything in this Portion



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14

X



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15

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16

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17

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18

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19

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Paper Code

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23

X

X

Do Not Write anything in this Portion



Paper Code

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24

X
X